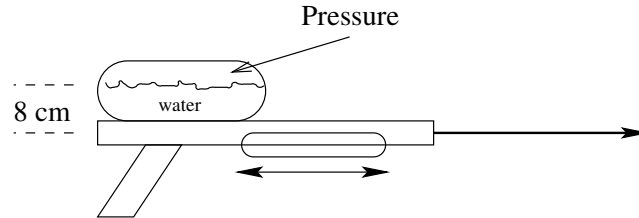


1. The Super Soaker water gun was a revolution in water gun technology. The pump handle is moved back and forth building up significant pressure in the water reservoir. The water is released by pulling a trigger and shoots for a significant distance. Assume that one can make an *absolute pressure* of 8 atmospheres in the reservoir. Find all the following:



- What is the velocity at which the water leaves the gun?
- If the water exits the gun through a hole with radius 1mm, what is the volume rate of flow ( $\frac{m^3}{s}$ )?
- If the water gun is fired horizontally and held 1.2 meters above the ground, where does the water hit the ground?

**NOTE:** The reservoir is a “tank” of water in which the water moves with negligible velocity..

2. You are given a rectangular Cu bar whose length is 80 cm and whose cross section is 1cm-by-1cm. You perform many experiments on this very same Cu bar. Answer all of the following (**NOTE**:: You will need to consult *many* tables from your book to get necessary constants).
- (a) What is the mass of the bar?
  - (b) You apply equal but opposite forces ( $F=500$  Newtons) to the ends of the bar in an attempt to stretch the bar. What is the new length of the bar?
  - (c) You put the bar in a vacuum and it swells a tiny bit. What is the change in volume of the bar?
  - (d) You apply a shear stress to the bar of  $10^7$  Pa. The forces are applied to the “long sides” of the bar (the  $80 \times 1$   $cm^2$  faces). What is the deformation of the bar ( $x$ )?
  - (e) How much force (applied as in part b) would be required to break the bar?
  - (f) What is the apparent weight of the bar when it is under water?
  - (g) If you raise the temperature of the bar from  $20^\circ$  C to  $30^\circ$  C, what is the change in its length?
  - (h) Suppose that during the previous temperature rise, the bar were **FORCED** to remain at the original length. What is the “thermal stress” on the bar?
  - (i) If you raise the temperature of the bar from  $20^\circ$  C to  $30^\circ$  C, what is the change in its volume?
  - (j) How much heat was required to raise the temperature of the bar from  $20^\circ$  C to  $30^\circ$  C?
  - (k) How much heat is required to take your Cu bar from room temp ( $20^\circ$  C) to its melting point?
  - (l) How much heat is required to melt the bar (starting already at the temperature equal to the melting point)?
  - (m) You place one end of your bar in ice water and the other end in boiling water. What is the rate at which heat flows through the bar?
  - (n) Suppose your bar is inside a vacuum box and has a temperature of  $500^\circ$  C.
    - i. What is the rate at which heat flows off the bar into the vacuum (ignore any heat flows into the bar)?
    - ii. Assuming that the walls of the vacuum box are at  $20^\circ$  C, what is the rate at which heat enters the bar from the vacuum box?
    - iii. What is the net rate of heat leaving the bar?

**NOTE**: Assume an emissivity of  $e = 1$  throughout this problem.

3. A collection of nitrogen gas molecules is at  $P = 100,000 \text{ Pa}$ ,  $T = 25^\circ \text{ C}$ , and is held in a box of Volume  $V = 2 \text{ m}^3$ . Answer all the following:
- (a) How many molecules are in the box?
  - (b) What is the average Translational Kinetic Energy of one of these molecules?
  - (c) What is the average velocity of one of these molecules?
  - (d) What is the internal energy of the system?
  - (e) How much heat is required to raise the temperature of the gas to  $35^\circ \text{ C}$  if the volume is not changed as the heat is added?
  - (f) How much heat is required to raise the temperature of the gas to  $35^\circ \text{ C}$  if the volume is allowed to change in such a way that the pressure is not changed?
  - (g) What is the change in internal energy of the gas during each of the two previous processes?

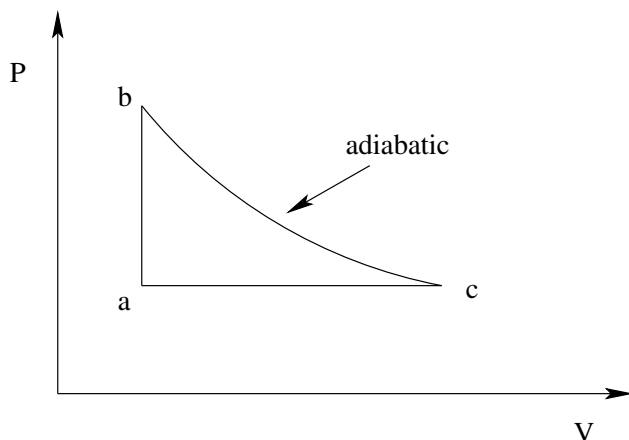
4. A warm summer day has a pressure of 100,000 Pa and a temperature of 300 K.
- (a) Find the number of moles per cubic meter of any ideal gas under these conditions.
  - (b) Find the number of  $\frac{kg}{m^3}$  of Nitrogen gas,  $N_2$ , under these conditions.
  - (c) Find the number of  $\frac{kg}{m^3}$  of Helium gas,  $He$ , under these conditions.
  - (d) Determine the net force of a  $1.5 m^3$  Helium balloon in air (take the calculation for  $N_2$  as a good approximation of air).
  - (e) Determine the RMS velocity of the He atoms.

5. A 0.100 kg Cu cup contains 0.800 kg of water at  $20^\circ\text{C}$ . 0.020 kg of ice whose temperature is  $-10^\circ\text{C}$  is dropped into the cup. Determine the final temperature of the system.

6. You travel in a spaceship to Mars. We will approximate your ship as a sphere of radius 10 meters and take its emissivity as 1.0.
- (a) Assuming the surface of your ship is at the same 290 K as the interior, what is the rate at which the ship loses heat via radiation (in Watts)?
  - (b) The sun has a radius of 695,000,000 m and a surface temperature of roughly 5,800 K. How many  $\frac{W}{m^2}$  are emitted from the sun's surface by radiation?
  - (c) Fortunately for you, you are much further than only 695,000 km from the center of the sun. You are 150 billion m from its center. How many  $\frac{W}{m^2}$  is the sunlight intensity at your ship?
  - (d) How many Watts do you receive from the sun?
  - (e) Do you worry most about frying or freezing on your trip to Mars?



8. 2 moles of Nitrogen,  $N_2$ , gas are taken through the cycle shown in the figure below ( $a \rightarrow b \rightarrow c$ ). At point a, the temperature is 300 K and the pressure is 100,000 Pa. During the process  $a \rightarrow b$ , the pressure of the system triples.



- (a) Calculate and fill in the “state table” below:

	P	V	T
a			
b			
c			

- (b) Calculate and fill in the “process table” below:

	W	Q	$\Delta U$
a $\rightarrow$ b			
b $\rightarrow$ c			
c $\rightarrow$ a			
TOTAL			

- (c) Calculate the heat from the hot reservoir,  $Q_H$ , and the heat to the cold reservoir,  $Q_C$ .
- (d) Calculate the efficiency of your engine.
- (e) Calculate the efficiency of a Carnot engine operating between the same two extremes of temperature.

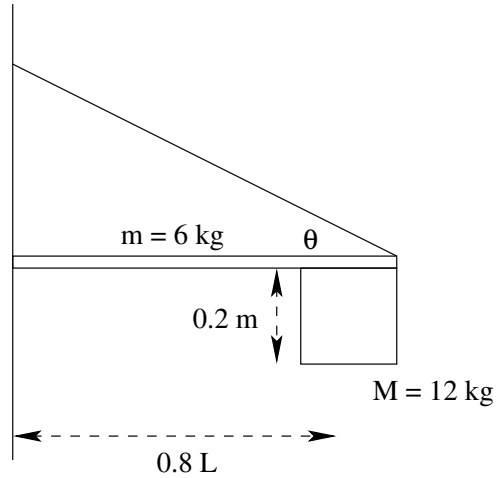
**NOTE:** A problem of this same type is guaranteed to appear on the final exam.

9. Most people hang their plants from a string or a chain (and some of them talk to the plants). You decide instead to hang your plant from a spring ( $k = 8 \frac{N}{m}$ ) so that it can have fun oscillating up and down. After you hang your plant, you start it bouncing with an amplitude of 12 cm. You see that it oscillates with a frequency of 2 Hz.

- (a) What is the period of your plant?
- (b) What is  $\omega$ ?
- (c) What is the maximum velocity of the plant?
- (d) What is the maximum acceleration?
- (e) What is the velocity of the plant when its displacement from equilibrium is 4 cm?
- (f) What is the acceleration of the plant when its velocity is  $\frac{1}{2}v_{max}$ ?
- (g) What amplitude of the oscillation would produce a maximum acceleration of  $9.8 \frac{m}{s^2}$ ?
- (h) How far is the spring stretched when the plant is at equilibrium?

**NOTE:** When your plant's acceleration equals  $9.8 \frac{m}{s^2}$  downward your plant feels weightless. However, you need not worry about vomit since the plant has no stomach.

10. Now that you have your medical degree, you decide to “hang a shingle” in front of your home and begin your practice. In Chapter 12, I would have



asked you the following:

- What is the tension in the wire?
- What is the normal force from the wall?
- What is the upward force from the wall?

Now in Chapter 14 I will **instead** ask you different questions!! As shown, the length of the shingle is  $20 \text{ cm}$ . When a slight breeze blows, the shingle starts swinging with a small amplitude.

- What is the period of the motion of the shingle?
- If the maximum angle of the shingle is  $\theta_{max} = 0.01 \text{ rad}$ , what is its maximum angular acceleration,  $\alpha$ ?
- What is the angular velocity,  $\omega_v$ , when the angle of the shingle is  $\theta = 0.005 \text{ rad}$ ?

**NOTE:** Treat the shingle like a rod rotating about its end having a moment of inertia  $I = \frac{1}{3}ML^2$ .

11. An object oscillates according to the formula  $x(t) = 0.12 \cos(12t)$  where all numbers are in proper MKS units.
- (a) What is the period of the motion?
  - (b) What is the maximum velocity of the motion?
  - (c) What is the velocity when  $x=0.10$  meters?
  - (d) If this is the motion of a 0.100 kg mass on a spring, what is the spring constant?

12. A wave on a string is described by the equation  $y(x, t) = 0.25 \sin(3.14x + 450t)$ , where all numbers are in proper MKS units.
- (a) What is the frequency of the wave?
  - (b) What is the period of the wave?
  - (c) What is the wavelength of the wave?
  - (d) What is the velocity of the wave?
  - (e) What is the amplitude of the wave?
  - (f) Is the wave travelling in the positive or negative x direction?
  - (g) If the tension in the string is 100 N, what is the mass density,  $\mu$ , of the string?

13. A flute should play an A ( $f=440$  Hz) in its fundamental mode.
- (a) Sketch the node pattern of the flute in its fundamental mode.
  - (b) What is the length of the flute's resonant cavity when sounding the A?
  - (c) To sound "middle C" ( $f=262$  Hz) the flute player closes holes on the flute making it longer. How long to sound middle C?
  - (d) To sound a high A ( $f=880$  Hz), the flute player cannot simply open more holes since the length will become too short? What do you do instead? Sketch the resulting node pattern.

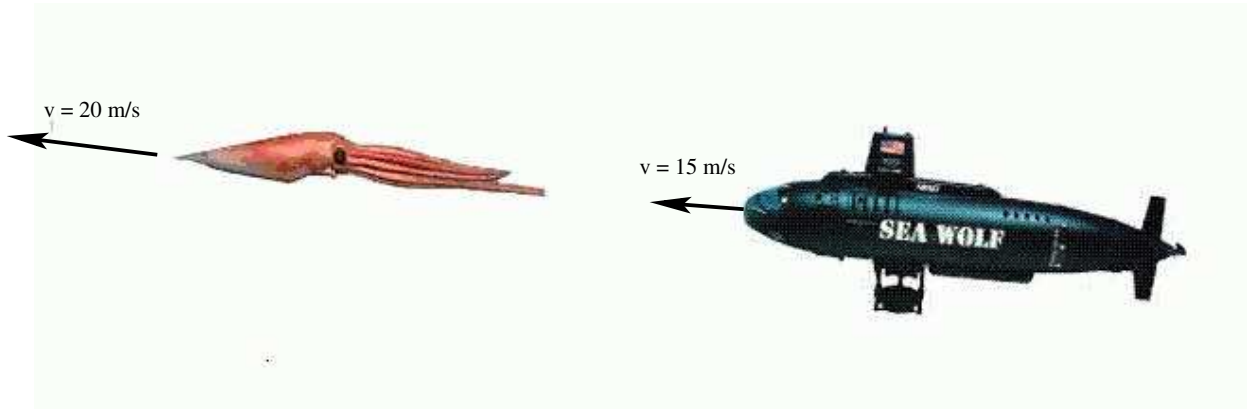
14. The “A” string on a guitar is the second lowest string (E is the lowest). This one ideally plays an A ( $f=110$  Hz) two octaves below the A from the previous problem. The length of the string is 0.648 meters and the tension is 100 N.
- (a) Sketch the node pattern when the string vibrates in its fundamental mode.
  - (b) Find the mass per unit length,  $\mu$ , of the string.
  - (c) You wish to play a “C” ( $f=131$  Hz) on this string. How do you accomplish this without changing the tension or  $\mu$  of the string? Specify your answer as an exact numerical result.

15. Two successive overtones of a closed organ pipe are 280 and 320 Hz.

- (a) What is the fundamental frequency?
- (b) What is the length of the organ pipe?

16. You are standing 10 meters away from a jet plane and the sound level of 140 dB is painful. Where should you stand to reduce the sound level to 120 dB?

17. Shown in the figure below is a submarine chasing a squid. Luckily for the squid he is moving faster. The submarine emits a sonar pulse with a frequency of 12,000 Hz. Using 1450 m/s as the speed of sound in water



find all the following:

- (a) Frequency of sound heard by the squid.
- (b) Frequency of sound heard by the sub reflecting off the squid.
- (c) Beat frequency heard at the sub.